

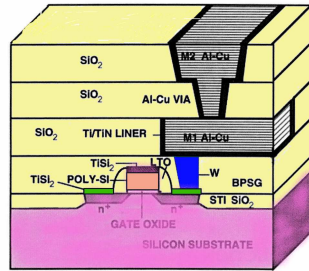
CVD

CVD is used to grow a thin layer of advanced materials on the surface of a substrate

Applications:

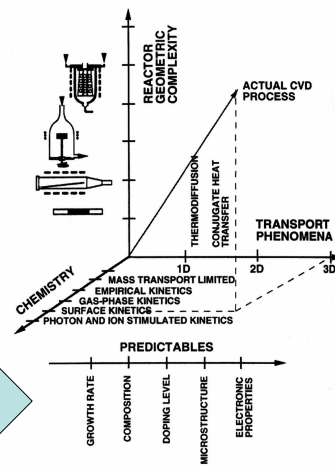
- **integrated circuits, optoelectronic devices and sensors**
- **catalysts**
- **micromachines, and fine metal and ceramic powders protective coatings**

CVD monopolizes the thin film deposition



MOS transistor structure

despite difficulties

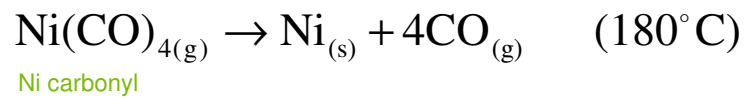
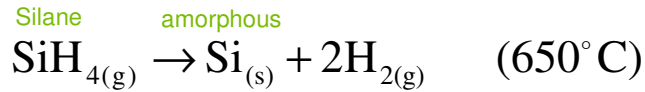


CVD Reaction Types

- Pyrolysis
- Reduction
- Oxidation
- Compound formation
- Disproportionation
- Reversible transfer

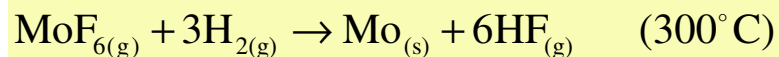
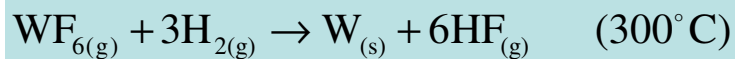
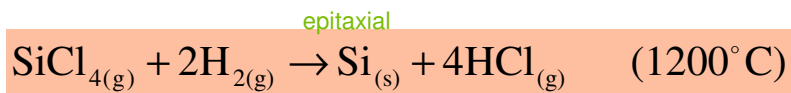
Pyrolysis

chemical decomposition or change induced by heat



Reduction

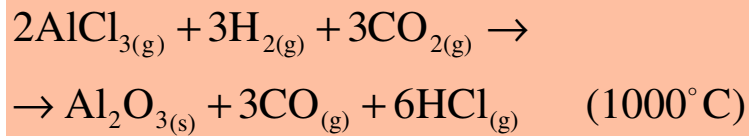
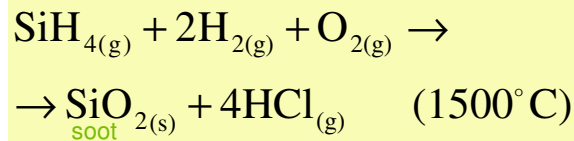
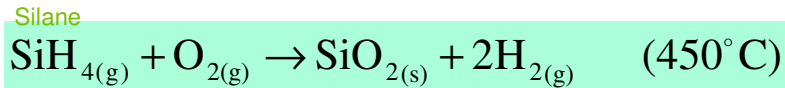
any process in which electrons are added to an atom or ion
(as by removing oxygen or adding hydrogen);
always occurs accompanied by oxidation of the reducing agent



In cooking, reduction is the process of thickening a sauce by evaporation.

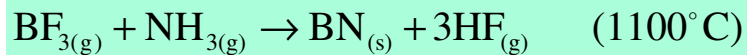
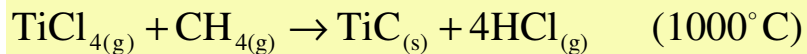
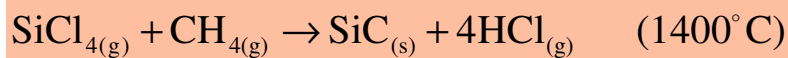
Oxidation

is any electrochemical process which involves the formal oxidation state of an atom or atoms (within a molecule) being increased by the removal of electrons. E.g. iron(II) can be oxidized to iron(III):



Compound Formation

hard surface coatings

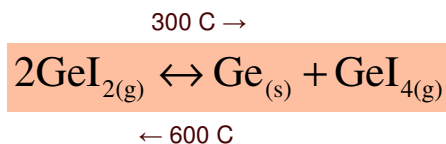


MOCVD:



Disproportionation

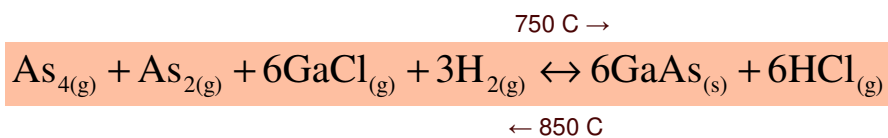
a chemical reaction in which a single substance acts as both oxidizing and reducing agent, resulting in the production of dissimilar substances



lower-valent state is more stable at high T

Al, B, Ga, In, Si, Ti, Zr, Be, Cr
can be deposited this way

Reversible Transfer



Thermal CVD Films

Deposited material	Substrate	Input reactants	Deposition temperature (°C)	Crystallinity
Si	Single-crystal Si	SiCl ₂ H ₂ , SiCl ₃ H, or SiCl ₄ +H ₂	1050–1200	E
Si		SiH ₄ +H ₂	600–700	P
Ge	Single-crystal Ge	GeCl ₄ or GeH ₄ +H ₂	600–900	E
GaAs	Single-crystal GaAs	(CH ₃) ₃ Ga+AsH ₃	650–750	E
InP	Single-crystal InP	(CH ₃) ₃ In+PH ₃	725	E
SiC	Single-crystal Si	SiCl ₄ , toluene, H ₂	1100	P
AlN	Sapphire	AlCl ₃ , NH ₃ , H ₂	1000	E
In ₂ O ₃ /Sn	Glass	In-chelate, (C ₂ H ₅) ₂ Sn(OOCH ₃) ₂ , H ₂ O, O ₂ , H ₂	500	A
ZnS	GaAs, GaP	Zn, H ₂ S, H ₂	825	E
CdS	GaAs, sapphire	Cd, H ₂ S, H ₂	690	E
Al ₂ O ₃	Si, cemented carbide	Al(CH ₃) ₃ +O ₂ , AlCl ₃ , CO ₂ , H ₂	275–475 850–1100	A A
SiO ₂	Si	SiH ₄ +O ₂ , SiCl ₂ H ₂ +N ₂ O	450	A
Si ₃ N ₄	SiO ₂	SiCl ₂ H ₂ +NH ₃	750	A
TiO ₂	Quartz	Ti(OC ₂ H ₅) ₄ +O ₂	450	A
TiC	Steel	TiCl ₄ , CH ₄ , H ₂	1000	P
TiN	Steel	TiCl ₄ , N ₂ , H ₂	1000	P
BN	Steel	BCl ₃ , NH ₃ , H ₂	1000	P
TiB ₂	Steel	TiCl ₄ , BCl ₃ , H ₂	> 800	P

Note: E = epitaxial; P = polycrystalline; A = amorphous.
Adapted from Refs. 1, 2, 3.

Thermodynamics of CVD

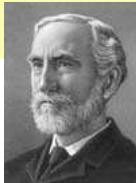
implies that the chemical equilibrium is attained; may not be true for flow reactors!

Chemical Reactions

enthalpy

entropy

- The Gibbs free-energy function G : $G = H - TS$, and $\Delta G = \Delta H - T \Delta S$
- 2nd Law of Thermodynamics: spontaneous reactions occur at P , $T = \text{const}$ if $\Delta G < 0$

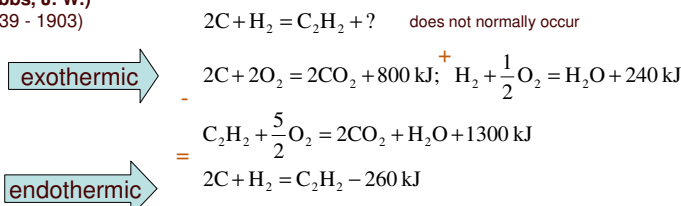


(Gibbs, J. W.)
(1839 - 1903)

- Thermal effect of a reaction only depends on initial and final states and does not depend on intermediate processes (Hess, 1840)



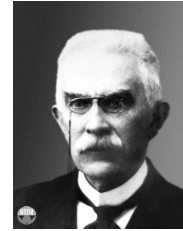
(Hess, H.I.)
(1802 - 1850)



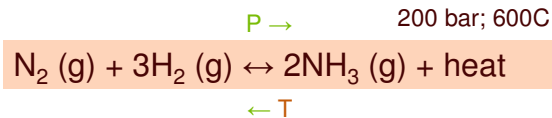
Thermodynamics of CVD

Chemical Equilibrium

- *The Principle (Le Châtelier 1884):*
If the conditions of a system, initially at equilibrium, are changed, the equilibrium will shift in such a direction as to tend to restore the original conditions (counter reaction)



(Le Châtelier, Henri-Louis)
(1850-1936)



1901 
1906:
Haber & Claude

"I let the discovery of the ammonia synthesis slip through my hands. It was the greatest blunder of my scientific career." Le Châtelier

Law of Mass Action (Waage & Guldberg 1867)

- $aA + bB + \dots \rightarrow xX + yY + \dots$
- [forward rate] $\propto k_1 [A]^a [B]^b \dots$
- [reverse rate] $\propto k_{-1} [X]^x [Y]^y \dots$
- in equilibrium, $k_1 [A]^a [B]^b \dots = k_{-1} [X]^x [Y]^y \dots$



(Waage, Peter)
(1833-1900)

(Guldberg, Cato)
(1836-1902)

Thermodynamics of CVD

Law of Mass Action (continued)

- $\text{H}_2 + \text{I}_2 \leftrightarrow 2\text{HI}$;
the direct reaction results from collision of H_2 and I_2 molecules \Rightarrow
reaction rate is proportional to the number of such collisions;
the number of collisions is proportional to density of H_2 and I_2 ;
the density is proportional to pressure \Rightarrow
- the reaction rate is proportional to the partial pressures of H_2 and I_2 :
$$k_1 P_{\text{H}_2} P_{\text{I}_2}$$
- similarly, the reverse reaction rate is proportional to the number of collisions between HI molecules \Rightarrow the reaction rate is
$$k_{-1} P_{\text{HI}}^2$$
- in equilibrium $k_1 P_{\text{H}_2} P_{\text{I}_2} = k_{-1} P_{\text{HI}}^2$
- we define the constant of equilibrium as
$$K(T) = k_1 / k_{-1} = P_{\text{H}_2} P_{\text{I}_2} / P_{\text{HI}}^2$$
- presenting $\text{H}_2 + \text{I}_2 = 2\text{HI}$ in the form $\text{H}_2 + \text{I}_2 - 2\text{HI} = 0$ ($= a_1 A_1 + a_2 A_2 + a_3 A_3 + \dots$) the Law of Mass Action can be rewritten in terms of partial pressures P_i :

$$P_1^{a_1} P_2^{a_2} P_3^{a_3} \dots = K(T)$$

Thermodynamics of CVD

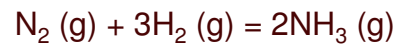
Law of Mass Action (continued)

$$P_1^{a_1} P_2^{a_2} P_3^{a_3} \dots = K(T) \text{ (partial pressures)}$$

$$P_i = c_i P$$

$$c_1^{a_1} c_2^{a_2} c_3^{a_3} \dots = K(T) P^{-(a_1 + a_2 + a_3 \dots)}$$

(total pressure and concentrations)



$$\frac{c_{\text{N}_2} c_{\text{H}_2}^3}{c_{\text{NH}_3}^2} = \frac{K(T)}{P^2}$$

An increase of P means increase of c_{NH_3} in accordance with Le Châtelier's principal

at 1 atm and 298K (standard state)

Finally: $\Delta G = \Delta G^0 + RT \ln K$,

i.e. in equilibrium:

$$-\Delta G^0 = RT \ln K$$

Gas Transport

- Viscous flow (moment transfer)
- Diffusion (particle transfer)
- Convection
- Thermal conductivity (energy transfer)

Issues:

- film thickness uniformity
- growth rates
- efficient utilization of process gases
- computer modeling of CVD reactor

Gas Transport

Viscous Flow (laminar)

$$[\Lambda] = \frac{\frac{\text{g} \cdot \text{cm}}{\text{cm}^2 \cdot \text{s}}}{\frac{\text{g}}{\text{cm} \cdot \text{s}^2}} = \frac{\text{g}}{\text{cm} \cdot \text{s}^2}$$

Momentum flow, Λ

1 sec
1 cm²

$$\Lambda = -\eta \frac{du}{dz} \quad [\eta] = \frac{\text{g}}{\text{cm} \cdot \text{s}}$$

1 Poise

Viscosity (dynamic)

Tells about how quickly momentum is transferred (rate of momentum equalization)

$$[\nu] = \frac{\text{cm}^2}{\text{s}} \quad \nu = \frac{\eta}{\rho}$$

(velocity diffusion)

Viscosity (kinetic)

Tells about rate of velocity equalization

(20 C)	η	ν
air	1.8 e-4	0.15
water	0.01	0.01
Hg	0.016	0.0014
glycerine	15	12

For gases, $\eta \sim mnVl \sim mV/\sigma$
(σ is the cross section)

← strong temperature dependence

Gas Transport

Viscous Flow (laminar)

$$\Lambda = -\eta \frac{du}{dr}$$

Momentum flux through the surface:
(a friction force acting on the cylinder from the rest of the gas / liquid)

$$2\pi r L \Lambda = -2\pi r L \eta \frac{du}{dr}$$

Let's pick a part of liquid inside the tube...

$$-2\pi r L \eta \frac{du}{dr} = \pi r^2 \Delta P$$

The friction force is balanced by the force due to the pressure difference ΔP along L

By integration we get:

$$u = -\frac{r^2}{4L\eta} \Delta P + \text{const}$$

From the boundary condition $u(r_0)=0$

$$u(r) = \frac{r_0^2 - r^2}{4L\eta} \Delta P$$

$$dM(r) = (2\pi r u(r) dr) \cdot \rho = 2\pi r \frac{r_0^2 - r^2}{4L\eta} \Delta P \rho dr$$

$$M(r_0) = \frac{\pi r_0^4 \rho \Delta P}{8L\eta} \quad \text{Poiseuille relation}$$


Poiseuille, Jean (1797-1869)

Gas Transport

Viscous Flow (turbulent)


Turbulence is a very complex physical phenomena and even today we do not fully understand how turbulence works.
 Richard Feynman: turbulence is the most important unsolved problem of classical physics.

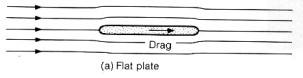
The first person that described and studied turbulence was probably **Leonardo da Vinci** (1452-1519). Since then many famous scientists have worked on the problem of turbulence like for example L. Euler (1707-1783), H. L. F. von Helmholtz (1821-1894), William Thompson (Lord Kelvin) (1824-1907), Lord Rayleigh(1842-1919) and A. N. Kolmogorov (1903-1987)...



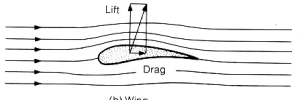
$$Re = \frac{d u \rho}{\eta}$$

Reinolds number

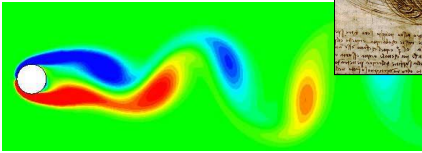




(a) Flat plate
Drag



Lift
Drag
(b) Wing



Re < 1000

Diffusion

$$j = -D \frac{dc}{dx} \quad [D] = \frac{cm^2}{s}$$

	D [cm ² /s]
H ₂ in O ₂	0.7
CO ₂ in air	0.14
O ₂ in O ₂	0.18
sugar in water	3e-6

In gases:

$$D \sim v l \sim \frac{v}{n\sigma} \sim \frac{v k_B T}{P\sigma}$$


Time of equalization $t \sim \frac{L^2}{D}$

$$u = BF$$


Mobility B, force F, drift velocity u of ions

$$D = k_B T B$$

Einstein's equation



← L →



Gas Transport, everything included

Dimensionless Parameter Groups in CVD

Name	Definition	Physical interpretation	Typical magnitude	
			APCVD	LPCVD
Knudsen	$Kn = \lambda/L$	Ratio of gas mean free path to characteristic length	10^{-6} – 10^{-5}	10^{-3} – 10^{-2}
Prandtl	$Pr = C_p \eta / K$	Ratio of momentum diffusivity to thermal diffusivity	~0.7	~0.7
Schmidt	$Sc = C_p \eta / D$	Ratio of momentum diffusivity to mass diffusivity	1–10	1–10
Reynolds	$Re = \rho v L / \eta$	Ratio of inertia forces to viscous forces	10^{-2} – 10^2	10^{-2} – 10^2
Peclet (mass)	$Pe_m = Re Sc$	Ratio of convective mass flux to diffusive mass flux	10^{-1} – 10^3	10^{-1} – 10^3
Grashof (thermal)	$Gr_t = \frac{g \rho^2 L^3 \Delta T}{\eta^2 T_r}$	Ratio of buoyancy force to viscous force	10^2 – 10^7	0–10
Rayleigh	$Ra = Gr Pr$	Ratio of buoyancy force to viscous force	10^2 – 10^7	0–10
Damkohler (gas phase)	$Da_g = \frac{\bar{R}_p L}{C_{in} v}$	Ratio of chemical reaction rate to bulk flow rate	10^{-3} – 10^3	10^{-3} – 10^3
Damkohler (surface)	$Da_s = \frac{\bar{R}_p L}{C_{in} D}$	Ratio of chemical reaction rate to diffusion rate	10^{-3} – 10^3	10^{-3} – 10^3
Arrhenius	$Arrh = \frac{E}{RT_r}$	Ratio of activation energy to potential energy	0–100	0–100
Gay-Lussac	$Ga = \Delta T / T_r$	Ratio of temperature difference to reference temperature	1–1.3	0.6–1

Note: L = reactor dimension (m), C_p = specific heat (J/kg-K), η = viscosity (Pa-s), K = thermal diffusivity (m^2/s), g = gravitational constant, $\Delta T = T_{film} - T_{ref}$, T_r = reference temperature, \bar{R}_p = gas reaction rate (mol/m^2-s), \bar{R}_s = surface reaction rate (mol/m^2-s), C_{in} = input gas concentration (mol/m^3).
Adapted from Refs. 22, 23.

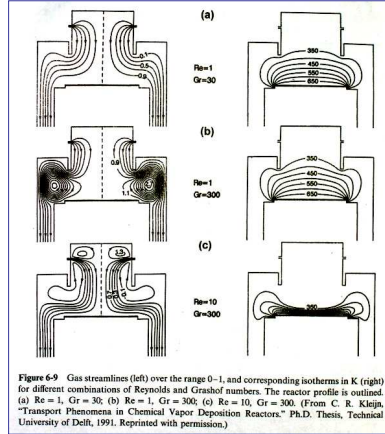


Figure 6-9 Gas streamlines (left) over the range 0–1, and corresponding isotherms in K (right) for different combinations of Reynolds and Grashof numbers. The reactor profile is outlined. (a) $Re = 1$, $Gr = 30$; (b) $Re = 1$, $Gr = 300$; (c) $Re = 10$, $Gr = 300$. (From C. R. Klein, "Transport Phenomena in Chemical Vapor Deposition Reactors," Ph.D. Thesis, Technical University of Delft, 1991. Reprinted with permission.)

Film Growth Kinetics

Axial Growth Uniformity

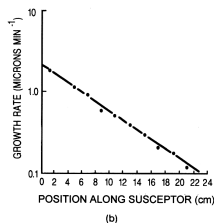
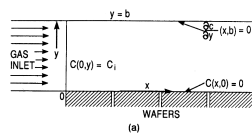


Figure 6-10 (a) Horizontal reactor geometry with conditions for flow. (b) Variation of growth rate with position along susceptor. Reactor conditions: $\bar{v} = 7.5$ cm/s, $b = 1.4$ cm, $T = 1200^\circ\text{C}$, and $C_1 = 3.1 \times 10^{-3}$ g/cm³. (From P. C. Rundle, *Int. J. Electron.* 24, 405, © 1968 Taylor and Francis, Ltd.)

$$\mathbf{J}(x, y) = C(x, y)\bar{v} - D\nabla C(x, y)$$

$$\text{div } \mathbf{J}(x, y) = D \left\{ \frac{\partial^2 C(x, y)}{\partial x^2} + \frac{\partial^2 C(x, y)}{\partial y^2} \right\} + \frac{\partial C(x, y)}{\partial x} \bar{v} = 0$$

$$C(x, y) = \frac{4\bar{C}}{\pi} \sin\left(\frac{\pi y}{2b}\right) \cdot \exp\left(-\frac{\pi^2 Dx}{4\bar{v}b^2}\right)$$

$$J(x) = D \left. \frac{\partial C(x, y)}{\partial y} \right|_{y=0}$$

$$\dot{G}(x) = \frac{MJ(x)}{\rho M_0}$$

$$\dot{G}(x) = \frac{4\bar{C}MD}{b\rho M_0} \cdot \exp\left(-\frac{\pi^2 Dx}{4\bar{v}b^2}\right)$$

Film Growth Kinetics

Radial Growth Uniformity on Wafers

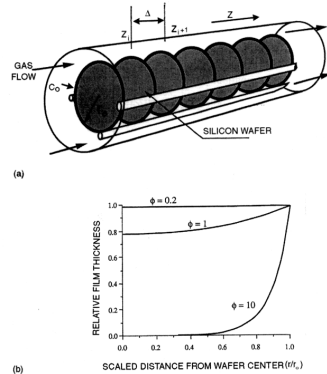


Figure 6-11 (a) Schematic representation of hot-wall, multiple-wafer LPCVD reactor geometry with gas flow boundary conditions. (b) Film thickness variation as a function of the scaled radial distance along the wafer for different values of ϕ . (From *Chemical Vapor Deposition*, edited by M. L. Hitchman and K. F. Jensen. Reprinted with the permission of Academic Press, Ltd., and Professor K. F. Jensen, MIT.)

$$D \left\{ \frac{\partial}{\partial r} \left(r \frac{\partial C(r,z)}{\partial r} \right) + \frac{\partial^2 C(r,z)}{\partial z^2} \right\} = 0$$

$$D \frac{\partial C}{\partial z} \Big|_{z=z_i} = kC$$

$$\frac{\partial C(r,z)}{\partial r} \Big|_{r=0} = 0 \quad C(r_0, z) = C_0$$

$$\text{for } \frac{\Delta}{r_0} \leq 0.05: \quad \frac{\partial^2 C(r,z)}{\partial z^2} \approx \frac{2kC}{D\Delta}$$

$$D \frac{\partial}{\partial r} \left(r \frac{\partial C(r)}{\partial r} \right) + \frac{2kC(r)}{\Delta} = 0$$

$$\frac{d(r/r_0)}{d(1)} = \frac{C(r)}{C_0} = \frac{I_0 \left(\sqrt{\frac{2r_0 k}{\Delta D}} \frac{r}{r_0} \right)}{I_0 \left(\sqrt{\frac{2r_0 k}{\Delta D}} \right)} \phi$$

Film Growth Kinetics

Temperature Dependence

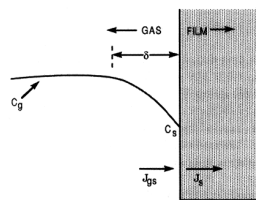


Figure 6-12 Model of CVD growth process. Gas flows normal to plane of paper. (From Ref. 26. Reprinted with permission from John Wiley & Sons, copyright © 1967.)

$$J_{gs} = h_g (C_g - C_s) \quad J_s = k_s C_s$$

$$C_s = \frac{C_g}{1 + k_s/h_g} \quad \text{for } J_{gs} = J_s$$

$$k_s \propto \exp\left(-\frac{E}{RT}\right) \quad \begin{matrix} k_s \gg h_g: \text{mass transfer} \\ k_s \ll h_g: \text{surface reaction} \end{matrix}$$

reversibility of chemical reactions can result in lower growth rates at high temperatures

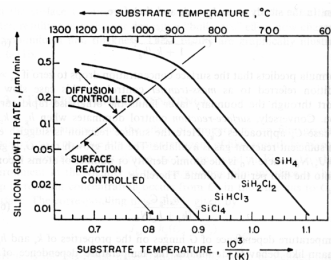
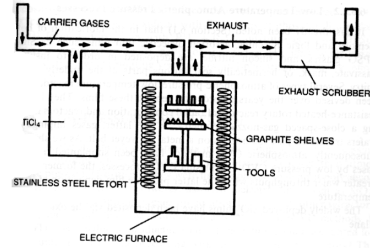
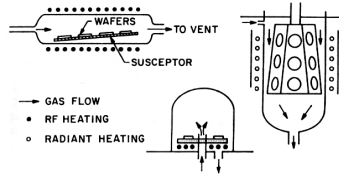


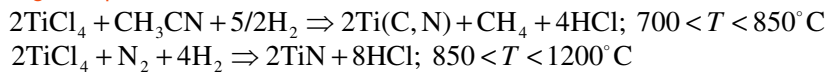
Figure 6-13 Deposition rate of Si from four different precursor gases as a function of temperature. (From W. Kern, in *Microelectronic Materials and Processes*, ed. R. A. Levy, reprinted with permission of Kluwer Academic Publishers, 1989.)

Thermal CVD

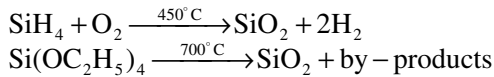
Atmospheric-Pressure Systems "APCVD"



High temperatures:



Low temperatures:



Low-Pressure Systems "LPCVD" (1-10 mTorr)

- dense packing of wafers
- high deposition rates
- improved uniformity
- better step coverage
- fewer pinholes

Thermal CVD

Metalorganic CVD "MOCVD"

MOCVD Precursors for Assorted Metals and Electroceramic Metal Oxides

Metals ^a	Alkoxides	β -Diketonates ^c	Alkyls
Ag		Ag(acac)	
Al			AlMe ₃ , AlEt ₃
Au		Me ₂ Au(hfac)	
Cu	Cu(OBu) ₄	Cu(hfac) ₂ , Cu(acac) ₂	
Pt		Pt(acac) ₂	C ₂ H ₅ Pt(Me) ₃
Metal oxides^b			
TiO ₂	Ti(OR) ₄ [b]		
ZrO ₂	Zr(OR) ₄	Zr(acac) ₄ , Zr(thd) ₄	
Ta ₂ O ₅ , Nb ₂ O ₅	Ta(OEt) ₅ [c], Nb(OEt) ₅		
(Ba, Sr)TiO ₃	Ti(OR) ₄ , Ti(OPr) ₂ (thd) ₂	Ba(thd) ₂ , Ba(hfac) ₂ , Sr(thd) ₂	
Pb(Zr, Ti)O ₃ , (Pb, La)(Zr, Ti)O ₃	Zn(OR) ₂ , Ti(OR) ₄ , Ti(OR) ₂ (thd) ₂	Pb(thd) ₂ , Pb(fod) ₂ , Zr(thd) ₄ , La(thd) ₃	PbEt ₄ , (neopentoxy)PbEt ₃
Pb(Mg)NbO ₃	Nb(OEt) ₅	Pb(thd) ₂ , Mg(thd) ₂ , Nb(thd) ₄	
(Ni, Zn)Fe ₂ O ₄		Ni(thd) ₂ , Ni(acac) ₂ , Zn(thd) ₂ , Zn(acac) ₂ , Fe(thd) ₃ , Fe(acac) ₃	
YBa ₂ Cu ₃ O _{7-x}		Y(thd) ₃ , Ba(thd) ₂ , Ba(hfac) ₂ , Cu(thd) ₂ , Cu(hfac) ₂	

^aFrom Ref. 36.

^bFrom Ref. 40.

^cAbbreviations for β -diketonate ligands: acac: 2,4-pentanedionate; thd: 2,2,6,6-tetramethyl-3,5-heptanedionate; hfac: 1,1,1,5,5,5-hexafluoropentane-2,4-dionate; fod: 1,1,1,2,2,3,3,3-heptafluoro-7,7-dimethyloctane-4,6-dionate.

R = (C_nH_{2n+1})_n, Me = methyl, Et = ethyl, Pr = propyl, Bu = butyl.

Laser-Enhanced CVD "LECVD"

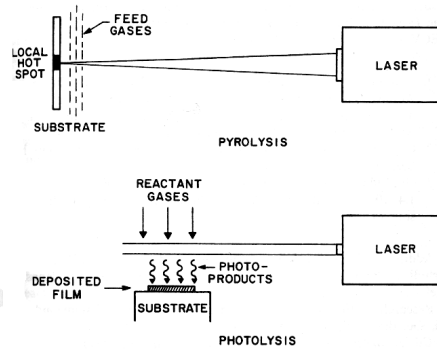
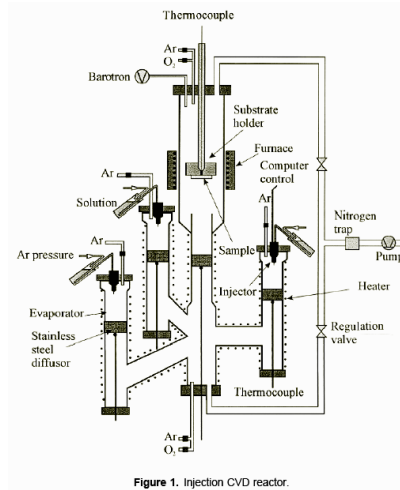


Figure 6-17 (a) Pyrolytic and (b) photolytic laser-induced chemical-vapor deposition of films (From *Chemical Vapor Deposition*, edited by M. L. Hichman and K. F. Jensen. Reprinted with the permission of Academic Press, Ltd., and Professor K. F. Jensen, MIT.)

Thermal CVD

Injection MOCVD



Supercond. Sci. Technol. 10 (1997) 959-965. Printed in the UK

PII: S0953-2048(97)85503-0

Thin YBCO films on NdGaO₃ (001) substrates grown by injection MOCVD

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CVD Reactor Types

- **Chamber pressure:**
 - atmospheric-pressure (APCVD)
 - low-pressure
 - * LPCVD
 - * PECVD

- **Reactor heating:**
 - Hot-wall
 - Cold-wall

Reaction Mechanism

- mass transport, when P and T are high
- surface reaction, when P and T are low
- possible to switch from one to another by changing P or T

APCVD

- ± mass-transport limited region
- + fast deposition
- poor step coverage

LPCVD

- ± surface reaction rate limited
- + excellent purity, uniformity and step coverage
- low deposition rates
- requires vacuum system

Cold-wall

- + no reaction on the wall
- difficult to control the real T

Hot-wall

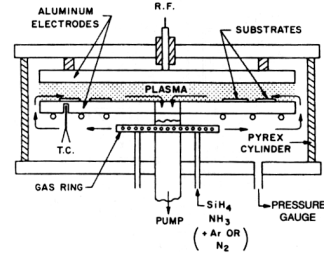
- particle contamin. (peel off)
- requires periodic cleanup

Plasma-Enhanced CVD

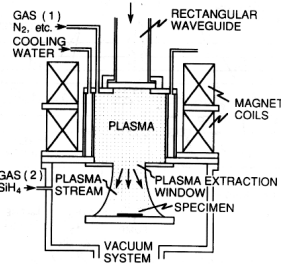
PECVD Films, Source Gases, and Deposition Temperatures

Film	Source gases	Deposition temperature (°C)
Elemental		
Al	AlCl ₃ -H ₂	100-250
a-B	BCl ₃ -H ₂	400
a-C	C ₂ H ₄ -H ₂ /Ar	25-250
a-Si	SiH ₄ -H ₂	300
c-Si	SiH ₄ -H ₂	400
Oxides		
Al ₂ O ₃	AlCl ₃ -O ₂	100-400
SiO ₂	SiCl ₄ -O ₂	100-400
TiO ₂	TiCl ₄ -O ₂	100-500
Nitrides		
AlN	AlCl ₃ -N ₂	< 1000
BN	B ₂ H ₆ -NH ₃	300-700
	BCl ₃ -NH ₃ /Ar	300-700
Si ₃ N ₄	SiH ₄ -NH ₃ -N ₂	25-500
TiN	TiCl ₄ -N ₂ -H ₂	100-500
Carbides		
B ₂ C	B ₂ H ₆ -CH ₄	400
BCN	B ₂ H ₆ -CH ₄ -N ₂	~25
	C ₂ H ₄ /BN	250
SiC	SiH ₄ -C ₂ H ₄	140-600
TiC	TiCl ₄ -CH ₄ -H ₂	400-900
Borides		
TiB ₂	TiCl ₄ -BCl ₃ -H ₂	480-650

Plasma can lower deposition *T*



Reinberg-type cylindrical radial-flow plasma reactor
Trans. J. Vac. Sci. Technol. 16(2): 470 (1979)

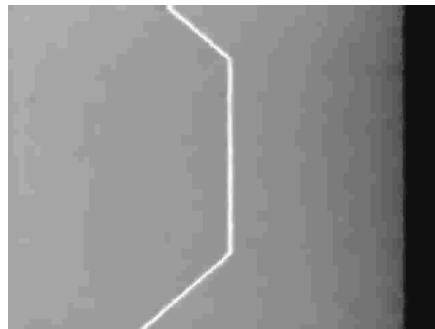


ECR plasma deposition reactor. (From S. Matsuo, in *Handbook of Thin Film Deposition Processes and Techniques*, ed. K. K. Schuegraf. Noyes, Park Ridge, NJ, 1988.

- ECR vs RF:**
- denser discharge
 - lower pressures
 - higher degree of ionization
 - absence of electrodes

FIB-Enhanced CVD

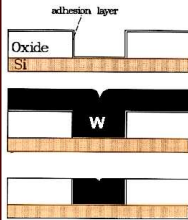
<http://www.feic.com/products/strata-235m.htm>



FEI Strata™ DB-STEM - Delivers integrated sample preparation, ultra-high resolution STEM imaging and microanalysis below 1nm, for high throughput semiconductor and data storage labs

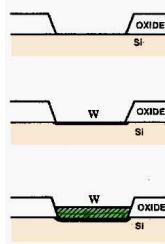
Selective CVD

Blanket (non-selective) CVD

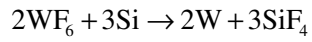
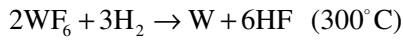


- Most commonly used in industry.
- Due to the poor nucleation and adherence of CVD W on SiO₂. A “glue” layer is needed: predeposited TiN, or sputtered W, TiW and Mo.
- For contact hole and via fill purposes the process requires a subsequent etch back.

Selective CVD



- Fill contacts or vias is much simpler than the blanket approach: no adhesion layer and etch back needed. Less toxic waste
- Deposited on silicon, Al, etc.; not deposited on the dielectrics such as SiO₂.
- Drawbacks: encroachment phenomenon, selectivity loss.
- not used extensively in industry compared to blanket tungsten.



SAFETY

Hazardous Gases Employed in CVD

Gas	Corrosive	Flammable	Pyrophoric	Toxic	Bodily hazard
Ammonia (NH ₃)	+			+	Eye and respiratory irritation
Arsine (AsH ₃)		+		+	Anemia, kidney damage, death
Boron trichloride (BCl ₃)	+				
Boron trifluoride (BF ₃)	+				
Chlorine (Cl ₂)	+			+	Eye and respiratory irritation
Diborane (B ₂ H ₆)		+	+	+	Respiratory irritation
Dichlorosilane (SiH ₂ Cl ₂)	+	+			
Germane (GeH ₄)		+		+	
Hydrogen chloride (HCl)	+				
Hydrogen fluoride (HF)	+				Severe burns
Hydrogen (H ₂)		+			
Phosphine (PH ₃)		+	+	+	Respiratory irritation, death
Phosphorus pentachloride (PCl ₅)	+				
Silane (SiH ₄)		+	+	+	
Silicon tetrachloride (SiCl ₄)	+				
Stibine (SbH ₃)		+		+	

Home assignment #4 (p.350)