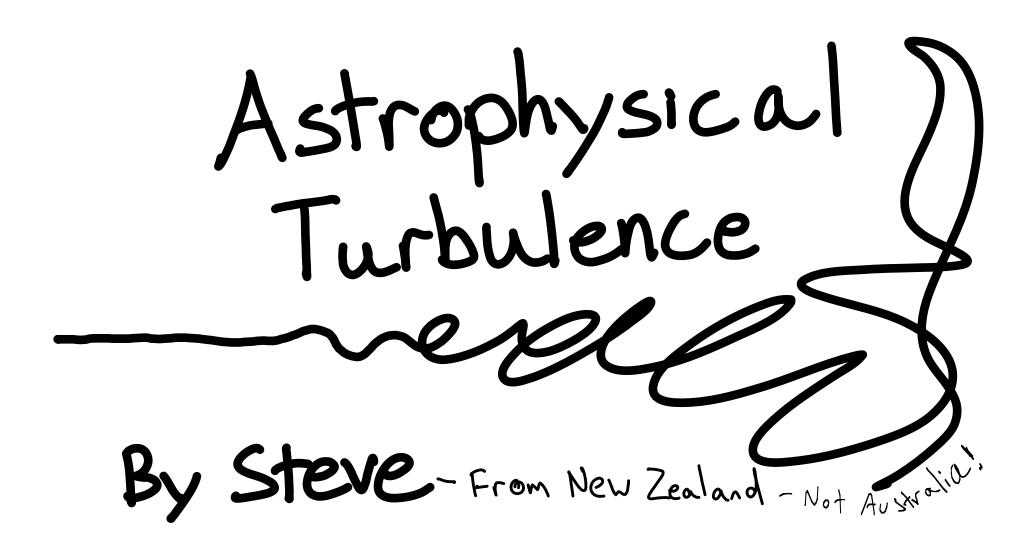
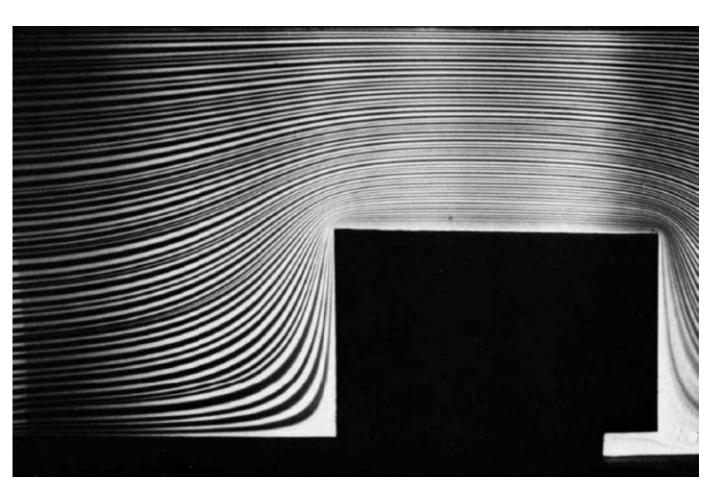
FASØ10-presentation/lecture

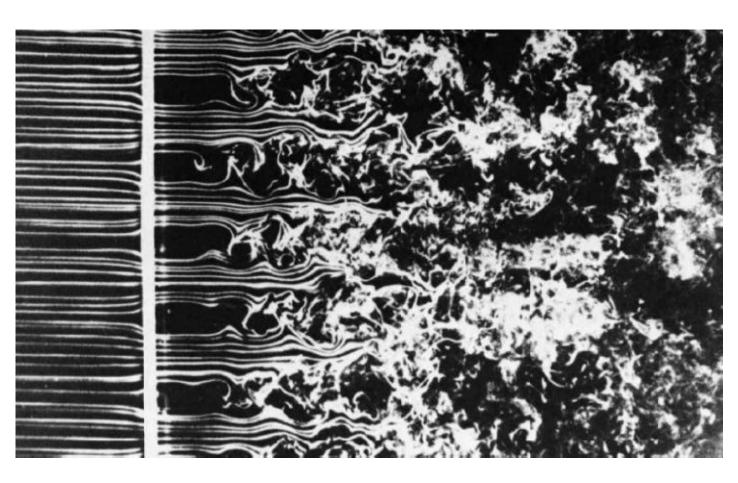


- 1. The characteristics of turbulence.
 - 2. The structure of He ISM.
 - 3. The relation and the implications.

What is this "turbulence"?



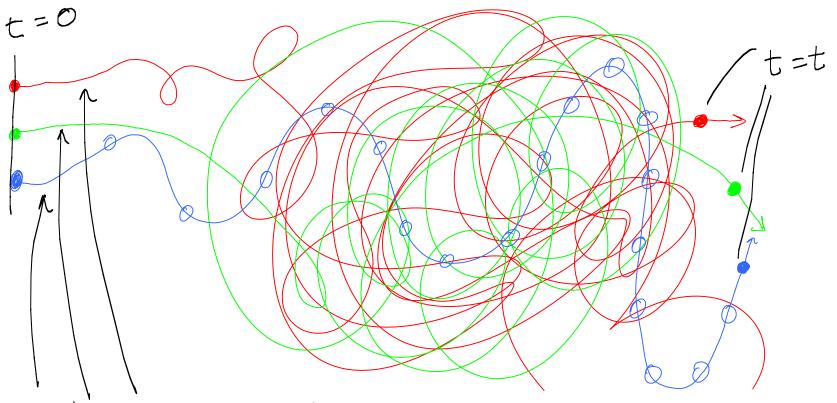
What is this "turbulence"?



Re= ul

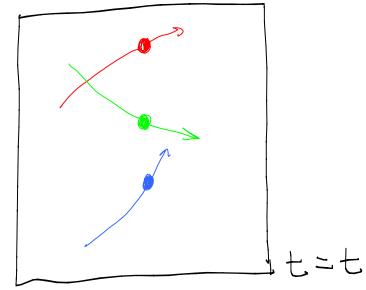
3 dimensional structure (haotic Self-similarity L. Scaling

Example of a chaotic system

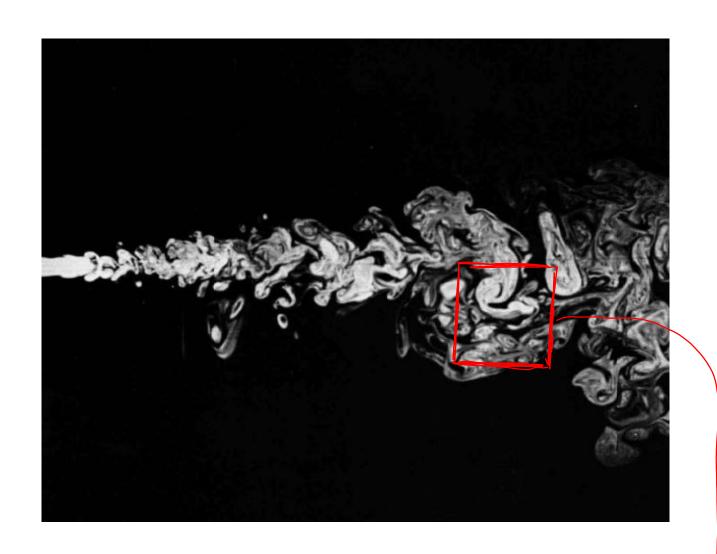


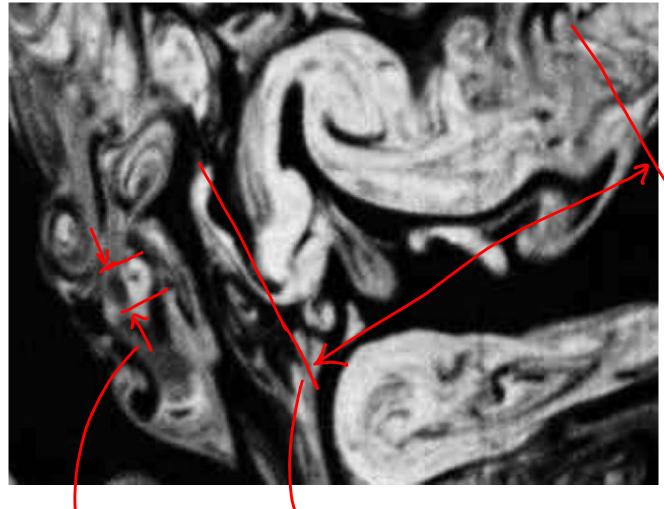
Motions governed by a differential equation! (i.e. deterministic)

Given the following state:



Could the previous map be recreated?





12 thumb

6 thumbs ~ of magnitude different

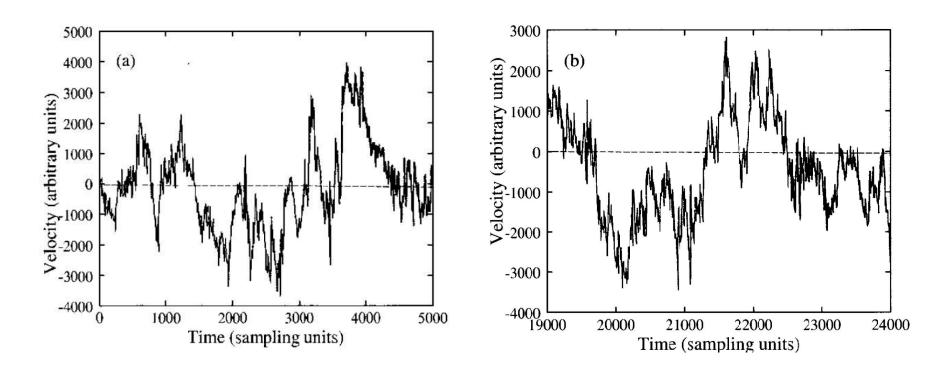
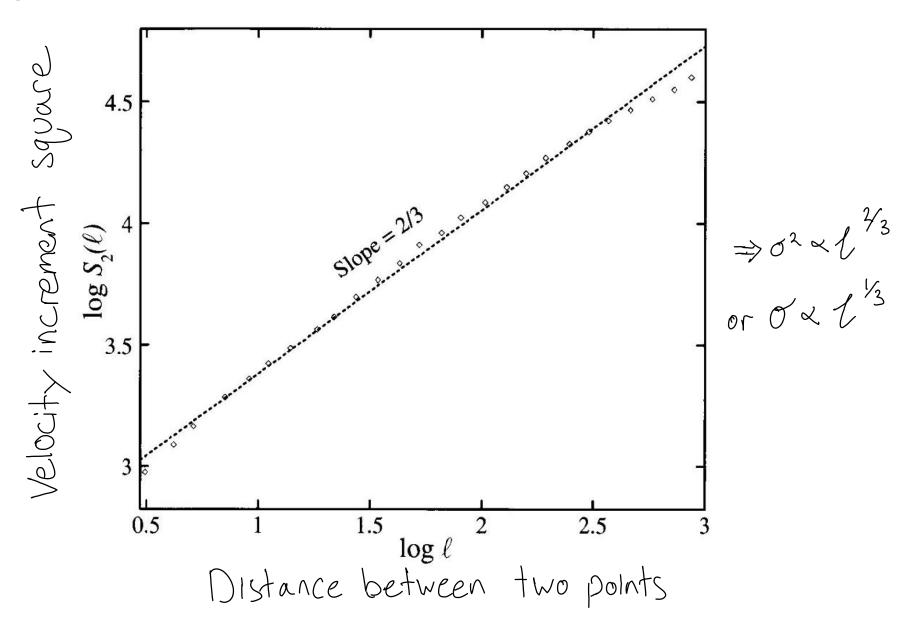


Fig. 3.1. One second of a signal recorded by a hot-wire (sampled at 5 kHz) in the S1 wind tunnel of ONERA (a); same signal, about four seconds later (b). Courtesy Y. Gagne and E. Hopfinger.





All the gassy stuff in here

The traditional three phase model at quasi-static equilibrium 1 2 3 "Cold" "Warm" "Hot" T<300K T~1.104K T~1.106K

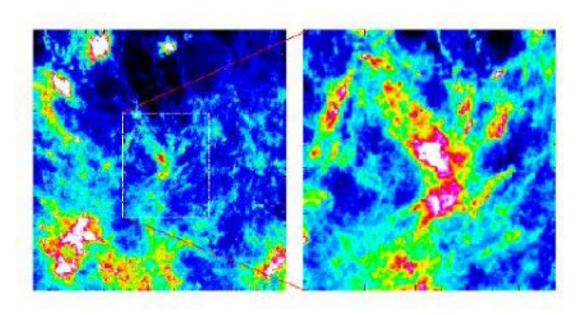


Figure 1. Left: IRAS 100 μm map of the Taurus molecular cloud complex, traced by the dust emission. The square is $\sim 4000 \text{ pc}^2$. Right Zoom of the central region (the square is now $\sim 400 \text{ pc}^2$).

Confusing self similar appearence! But over what scale?

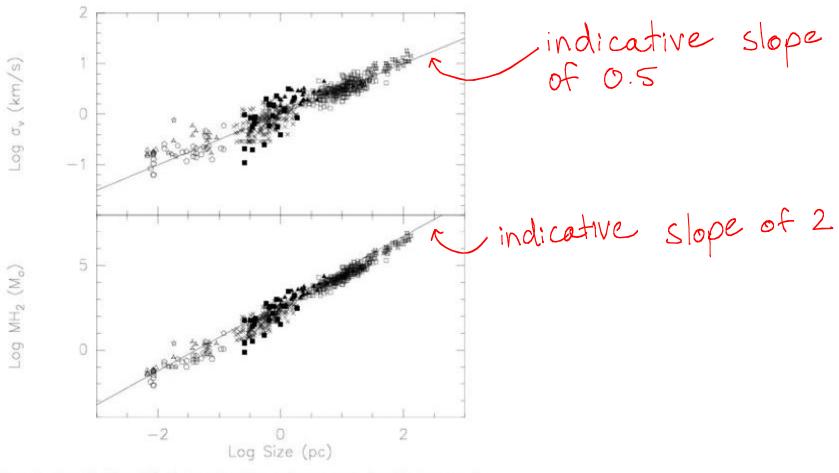


Figure 2. Top: Size-linewidth relation taken from various sources: Dam86: Dame et al. (1986); Sol87: Solomon et al. (1987); Heit98: Heithausen et al. (1998); MBM85: Magnani et al. (1985); Will94: Williams et al. (1994); Fal92: Falgarone et al. (1992); W95: Wang et al. (1995); Ward94: Ward-Thompson et al. (1994); Lem95: Lemme et al. (1995). An indicative line of slope 0.5 is drawn. Bottom: Mass-size relation deduced from the previous one, assuming that the structures are virialised. The line drawn has a slope of 2.

Scaling laws:

Several authors have identified $q = \frac{1}{2} + 0 + \frac{1}{3}$

2. Structure of the ISM If we assume virialisation on all scales: MKR Where D~ 5/3 to 6/3

(Compare to graph!)

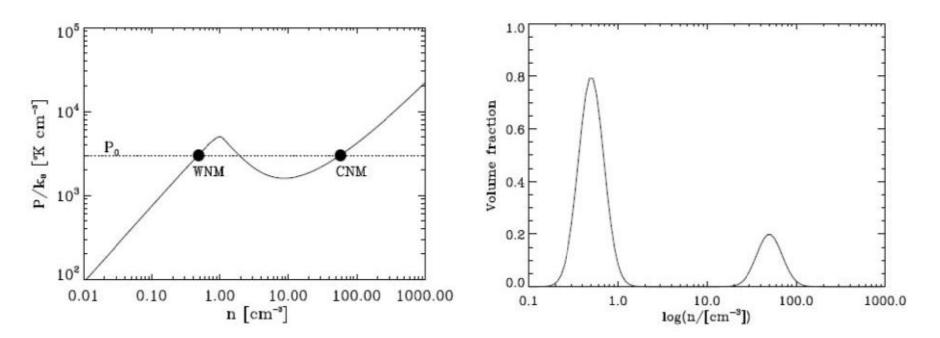


Fig. 1. Left panel: Thermal pressure corresponding to thermal equilibrium between heating and cooling for the atomic ISM. Figure from Vázquez-Semadeni et al. (2007), using the (errata-free) fit to the cooling function by Koyama & Inutsuka (2002). The horizontal dotted line indicates a mean pressure P_0 that allows the medium to spontaneously segregate into a diffuse, warm phase and a cold, dense one, indicated by the heavy dots. Right panel: Schematic illustration of the density probability density function (PDF) for the two-phase model. The vertical axis is in arbitrary, non-normalized units, and the relative amplitude of the peaks is meant to simply illustrate the fact that most of the volume is occupied by the WNM.

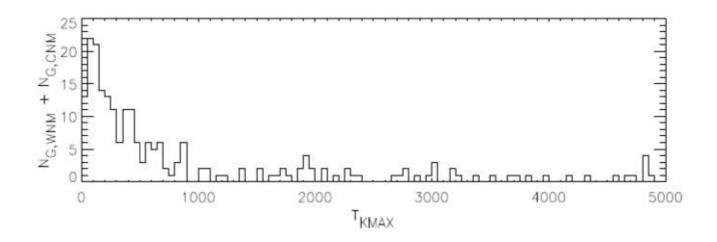


Fig. 3.— Histograms of upper-limit kinetic temperatures T_{kmax} and spin temperatures T_s for the combined set of WNM and CNM components for sources having $b| > 10^{\circ}$. N_G is the number of Gaussian components; $N(HI)_{20}$ is the column density in units of 10^{20} cm⁻². For WNM components, spin temperatures are lower limits.

Turbulence experiments

0 × 1/3

ISM Velocity disperssion

 $\sigma \propto R^{3}$ $(9 = \frac{1}{2} \sim \frac{1}{3})$

How much of the self-similar nature of the ISM is attributable to turbulence?

How much of the ISM's structure and behaviour in total is dependent on the chaotic pressure and velocity fluctuations presented?